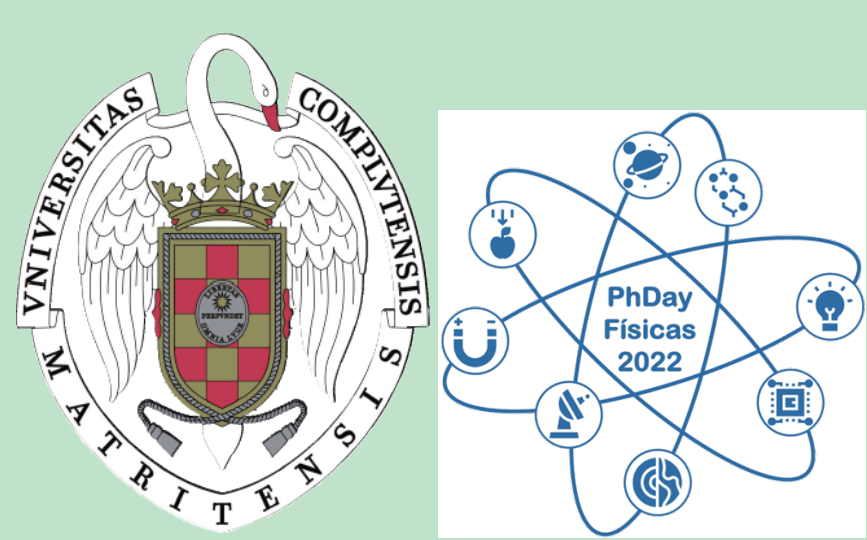




Cosmological particle production in the lab

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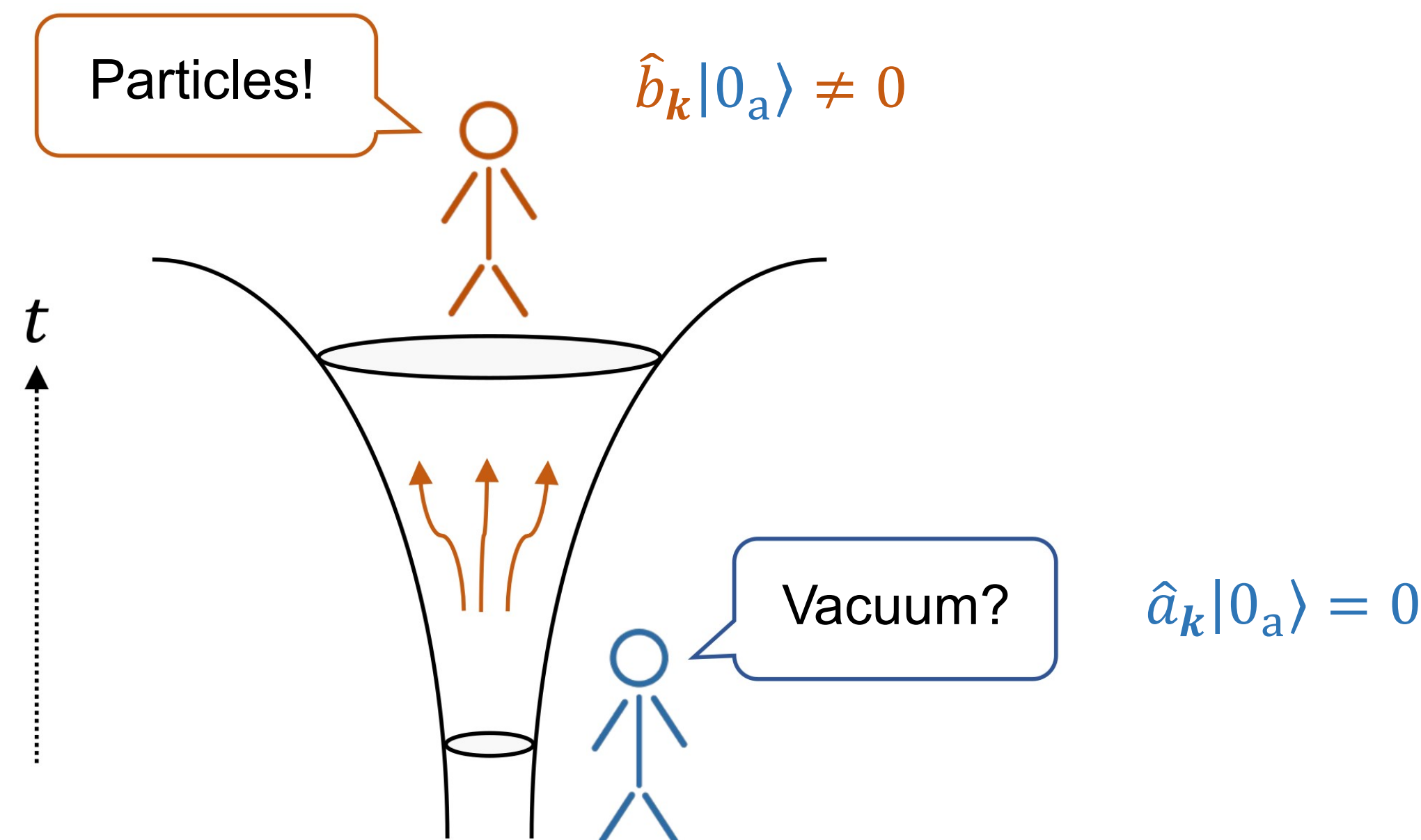
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1. Introduction

Motivation

- Gravitational particle production is a phenomenon that arises when considering quantum field theory in **curved spacetime**
- It is due to the **observer-dependence of the vacuum** and can explain, for example, the abundance of dark matter



- Direct measurement in such cosmological scenarios is out of reach, so the use of **analog models of gravity** has been proposed

Objectives

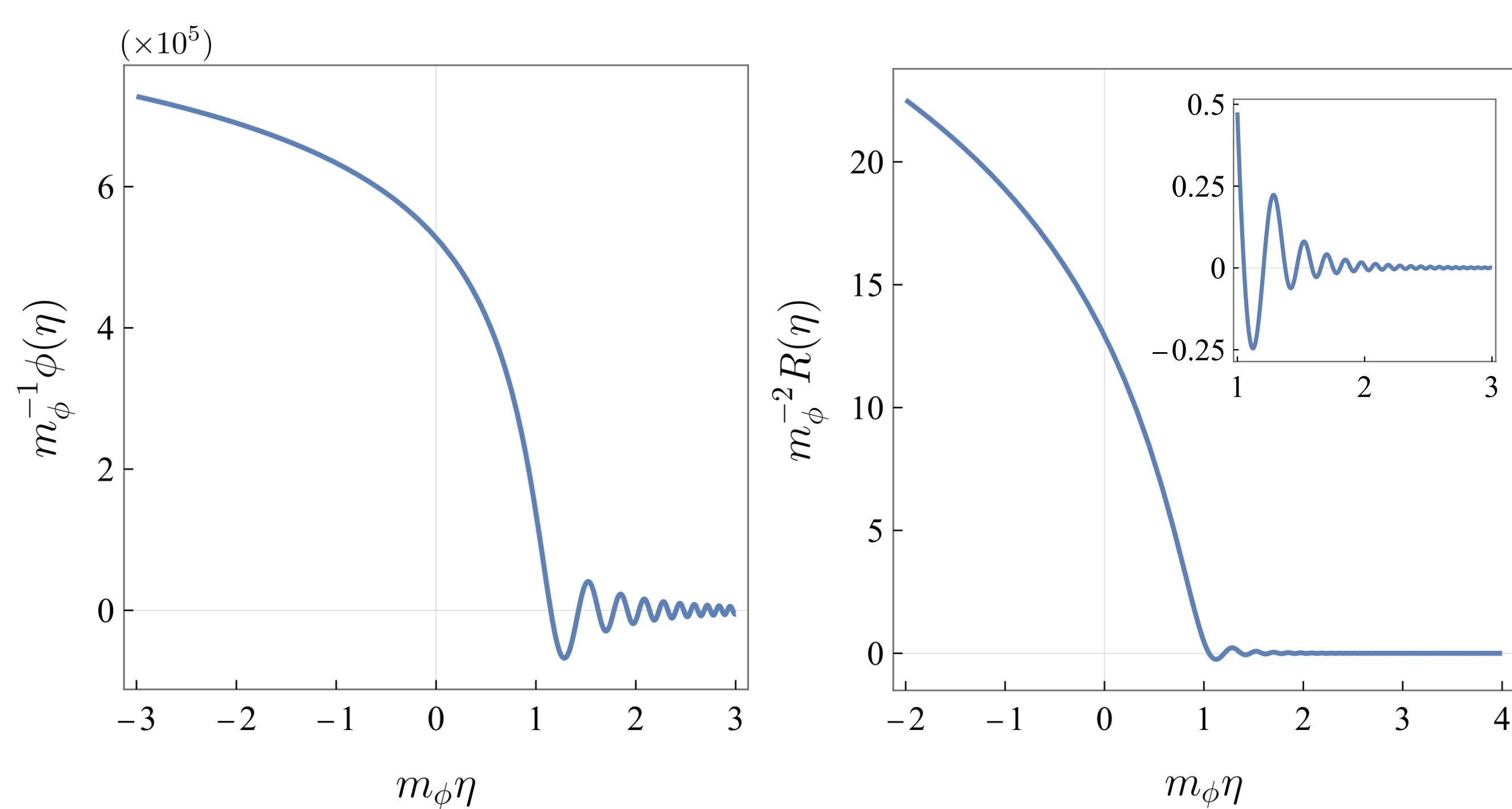
- Study particle production during **inflation** for different fields as well as investigate the **vacuum ambiguity** in non-stationary situations.
- Simulate cosmological production of particles for several scenarios in analog systems such as **BECs**, and measure it experimentally.

2. Particle production during inflation

- We consider a massive scalar field φ **non-minimally** coupled to gravity in a flat FLRW spacetime, described by the action [1]

$$S = -\frac{1}{2} \int d^4x \sqrt{-g} [\partial_\mu \varphi \partial^\mu \varphi + (m^2 + \xi R) \varphi^2]$$

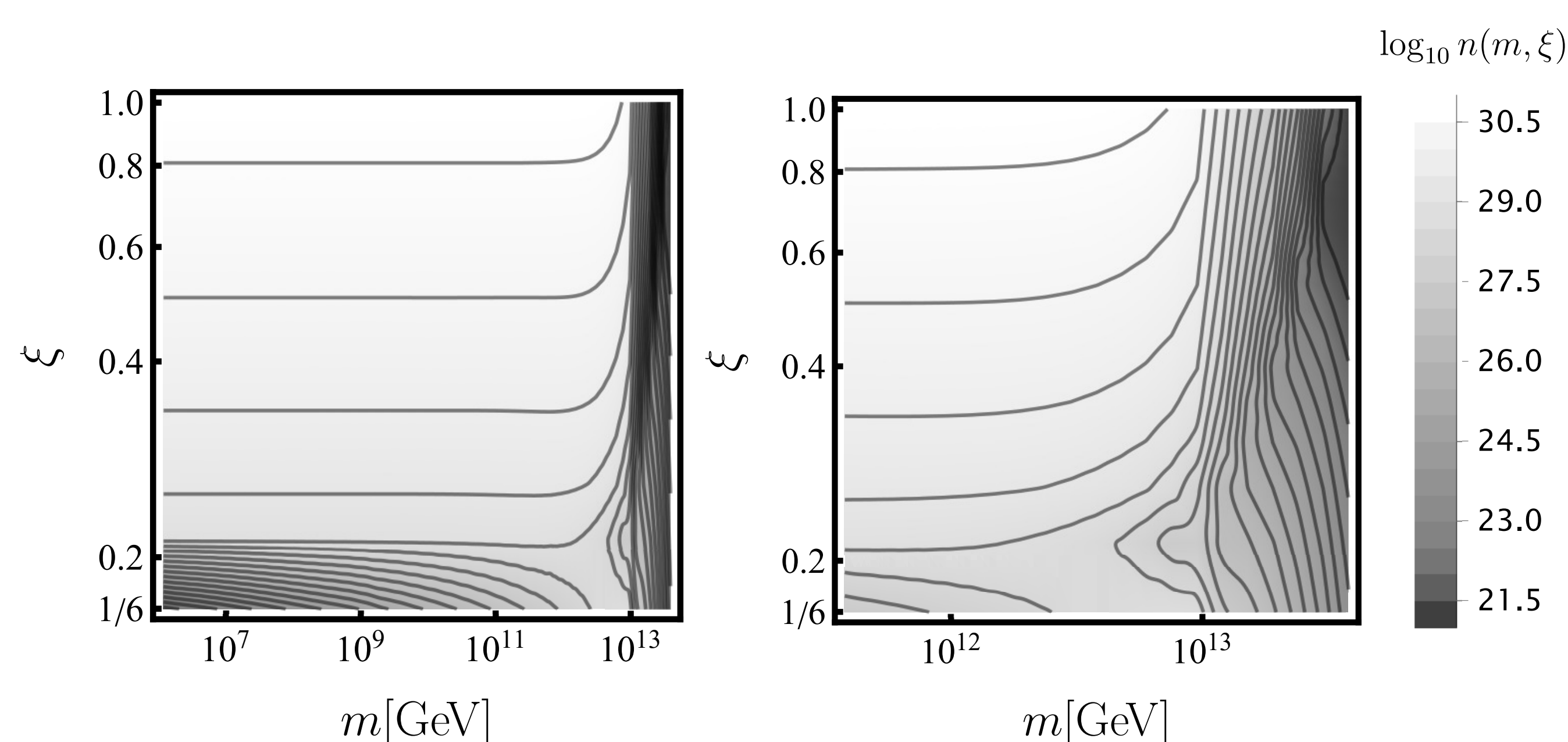
Dynamics of the inflaton $\phi(\eta)$ determines the Ricci scalar $R(\eta)$



- Our system is initially in the state $|0_a\rangle$ and we calculate the number of particles after inflation according to an observer living at this time

$$n^b = \int d^3k \langle 0_a | \hat{n}_k^b | 0_a \rangle$$

Particles produced after inflation as function of m, ξ [1]



3. BECs as analog system

- Most extended analogy makes use of a spin-0, 2D, weakly interacting Bose-Einstein condensate, described by the complex field Φ ,

$$\Phi = \text{background} + \text{fluctuations} = \phi_0 + \frac{1}{\sqrt{2}} (\phi_1 + i\phi)$$

- The system can be adjusted such that the **phononic fluctuations** behave as a massless scalar field in a FLRW universe:

Universe	BEC experiment
Spacetime	Background
FLRW metric	Acoustic metric
Massless scalar particle	Phonons

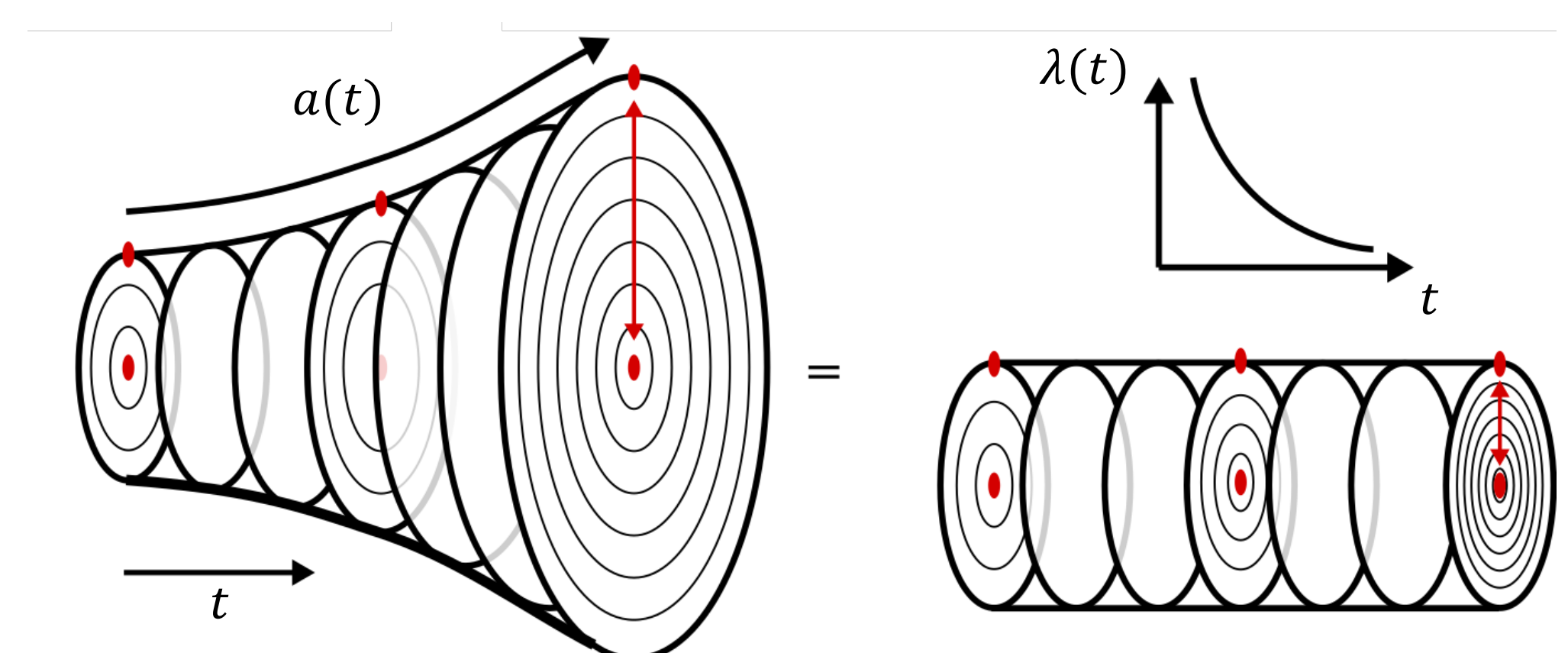
- Action for the fluctuating field ϕ in a static background and assuming **low momentum** excitations [2]:

$$S_2[\phi] = \frac{1}{2} \int d^3x \sqrt{g} g^{\mu\nu} \partial_\mu \phi \partial_\nu \phi,$$

with $g_{\mu\nu}$ being the **acoustic metric**, corresponding to

$$ds^2 = -dt^2 + \frac{m}{\lambda(t)n_0(r)} (dr^2 + r^2 d\varphi^2) \equiv -dt^2 + \frac{a^2(t)}{n_0(r)} (dr^2 + r^2 d\varphi^2)$$

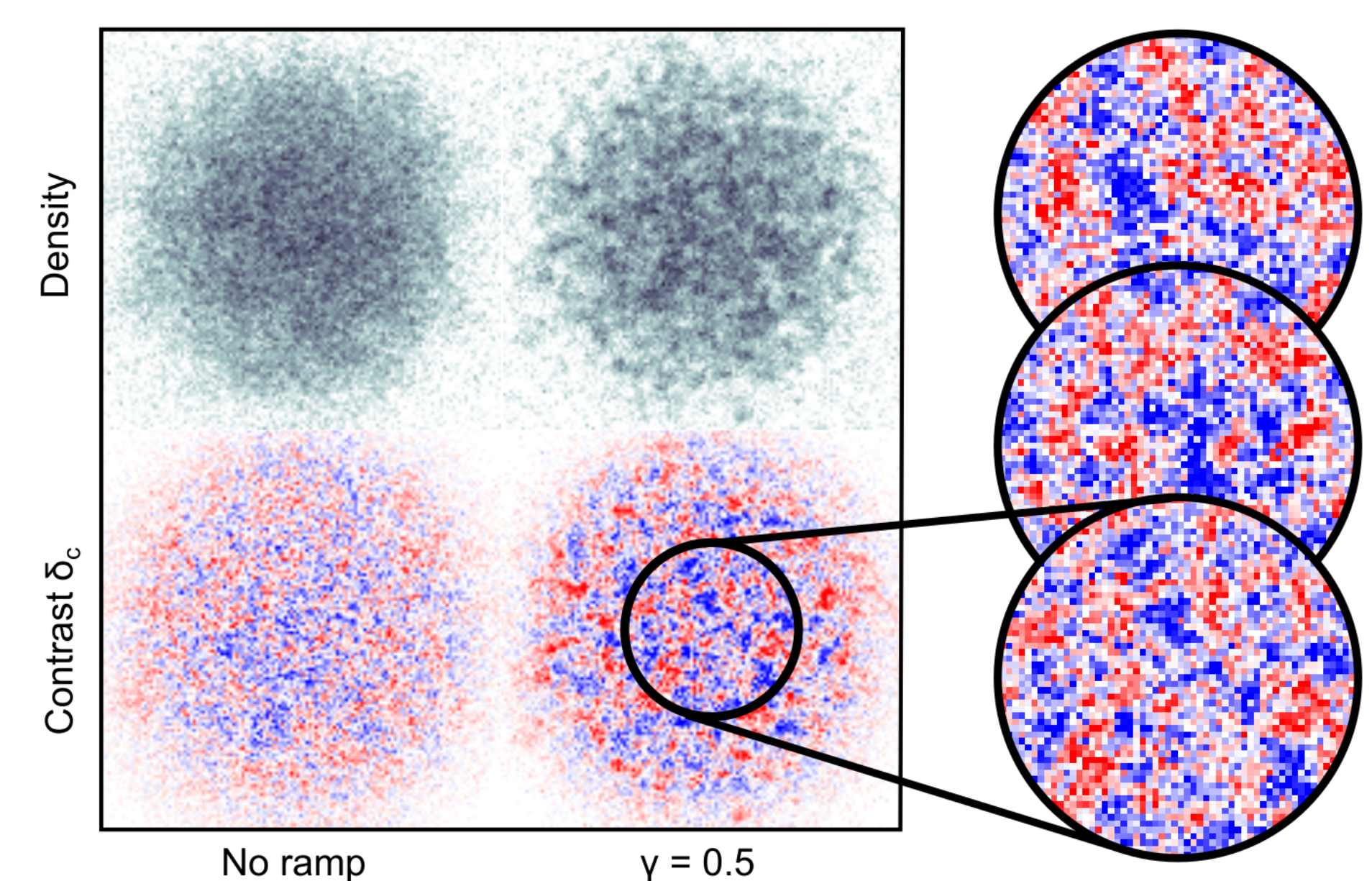
Expansion of the universe is realized through a time-dependent interaction strength $\lambda(t)$, achieved from **Feshbach resonance** [3]



- Relation between the density contrast measured δ_c and correlations of the field ϕ originated from particle production is given by [2, 4]

$$\langle \delta_c(t, \mathbf{r}) \delta_c(t, \mathbf{r}') \rangle \sim \langle \{ \dot{\phi}(t, \mathbf{r}), \dot{\phi}(t, \mathbf{r}') \} \rangle_c \sim n_k^b$$

Density fluctuations for an expansion of the form $\lambda(t) \propto t^{-2\gamma}$ [3]



4. Conclusions and outlook

- Particle production of a scalar field has been solved within a complete, slow-roll inflationary model, for FLRW universes of any curvature
- We simulated particle production in a BEC for a massless scalar field
- The aim is to investigate vector and spin-2 fields and analogs of them

References

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This work was supported by the MICINN projects PID2019-107394GB-I00 and PID2020-118159GBC44. Additionally, Á.P.-L. is supported by the MIU fellowship FPU20/0560.